

1 **USING SENSITIVITY ANALYSIS TO GUIDE TRAVEL DATA COLLECTION IN SMALL-**  
2 **AND MEDIUM-SIZED COMMUNITIES**

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21 Submittal Date: 22 July 2009

22  
23 4,256 words + 12 tables = 7,256 words

24 **ABSTRACT**

25 Small and medium-sized communities often lack data that are complete, current, representative of the  
26 community, and appropriate for the travel demand models/software to be applied. Borrowing data  
27 from other communities is risky. Published data reveal a wide range of values for trip rates and trip  
28 lengths, for example. The “transferability” of any single value taken from another study area is  
29 questionable. A statistical update of borrowed data using a local sample may be advisable. However,  
30 our experience with a statewide model taught us that the model structure makes the model results more  
31 sensitive to changes in some input values than others. The limited resources available for data  
32 collection can be guided by knowledge of which input data need to be more carefully verified. A case  
33 study of one small MPO will be presented.

## 34 USING SENSITIVITY ANALYSIS TO GUIDE TRAVEL DATA COLLECTION IN 35 SMALL- AND MEDIUM-SIZED COMMUNITIES

### 36 1. INTRODUCTION

37 Efficient data collection is critical for small- and medium-sized planning communities that lack  
38 significant resources. To expend these resources wisely, it would be helpful to know which input data  
39 (e.g., regression variables) or model parameters (e.g., coefficients in regression equations) have the  
40 greatest impact on the model output. With this knowledge, planners can better focus their efforts to  
41 refine data or parameter values. For instance, should a planning agency spend money to obtain trip  
42 length data for trip distribution or instead invest resources in obtaining volume-delay parameters to  
43 replace standard values? To help answer such questions, sensitivity analysis is used in this research.

44 In the literature, sensitivity analyses have often focused on how the output changes due to  
45 variations of input data within each step of the planning process. For instance, in a study by Barton-  
46 Aschman, Inc. and Cambridge Systematics, Inc. (1) the effects of varying utility function inputs on  
47 mode choice outputs were observed. In the same study, the sensitivity of trip generation outputs  
48 caused by the variation of socio-economic inputs was also examined. Similarly, Fehr and Peers (2)  
49 detailed the effect of varying the capacity input within the link performance function on the trip  
50 assignment output.

51 Zhao and Kockelman (3) investigated the propagation of uncertainty through the four-step  
52 travel demand model by using Monte Carlo simulation and sensitivity analysis with coefficients in  
53 each step having a lognormal distribution with standard deviation fixed to 0.30 of the mean of the  
54 coefficients. In our research, we assumed the role of a travel demand modeler faced with a need to  
55 borrow data and/or parameter values, or to collect data locally. The range of values we used was  
56 defined by the information we found that could be used in our travel demand model.

57 For the sensitivity analysis in this study, a two-tiered approach is recommended. First, the  
58 sensitivity of the output to borrowing various model parameters is discussed. By knowing which  
59 parameters are the most critical to the output, a decision can be made to decide which inputs to study  
60 further. Secondly, the output sensitivity due to varied input values is analyzed. The effects of these  
61 varied inputs can be tracked throughout the entire model and not just within the corresponding  
62 planning step. As a result of this two-tiered approach, the sensitivity of the output to model selection  
63 and input variation can be quantified.

64 To accomplish this, it is recommended to collect as many different parameters as possible  
65 within each of the four standard planning steps and then to apply local data. For instance, a database  
66 of regression equations or link performance functions can be built. When such equations and  
67 functions are applied to local input data, various outcomes are produced. In doing so, a range of  
68 results are created, from which a planner can make a more informed model selection, as well as learn  
69 what the consequences are from borrowing various models. The volatility of this range of outputs can  
70 help guide data collection. For instance, if the results do not vary significantly when applying various  
71 parameters, then data collection should be focused elsewhere. To further guide data collection, we can  
72 also assess the volatility of the selected model(s) by observing the change in output caused by multiple  
73 inputs.

74 To help demonstrate this approach, a sample sensitivity analysis will be presented using data  
75 from the Columbus Area Metropolitan Planning Organization (CAMPO), a small Indiana MPO. This  
76 study area, with a population of 73,900, as of the 2000 Census, is located approximately 46 miles  
77 south of Indianapolis.

78 To assess sensitivity for the CAMPO study area or any other planning jurisdiction, the following  
79 procedure is recommended at each of the standard four planning steps:

- 80 1. Build a database of equations/models with varying parameters.
- 81 2. Apply local data to develop a range of outputs.
- 82 3. Identify the sets of parameters yielding the minimum, average, and maximum outputs based  
83 on a predetermined evaluation criterion.
- 84 4. Select a model that is deemed most appropriate for the study area. For this research, two  
85 selections will be made:
  - 86 a. The 'original selection' represents the models chosen independently of this sensitivity  
87 analysis, based on the characteristics of the borrowed source;



116 TABLE 2.

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**TABLE 2 Cross-classification -- Range of Trips Predicted with Varied Parameters**

Trip Rate Source	Total Trips Predicted	Average Daily Person Trips per Household	
Seattle	141,971	4.7	Minimum
Vancouver	167,824	5.5	
Houston	199,604	6.6	
New Jersey	224,525	7.4	
San Francisco	236,471	7.8	
Austin	240,091	7.9	
Nashua	241,362	7.9	
Phoenix	254,621	8.4	Average
Reno	257,395	8.5	
Albany	257,272	8.5	
Atlanta	268,325	8.8	
St. Louis	270,319	8.9	
Charlotte	282,924	9.3	
Pittsburgh	283,682	9.3	
NHTS Transferability Program – CAMPO	300,954	9.9	Original and Revised Selections
San Diego	412,983	13.6	Maximum

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119 Depending on the rates that were “borrowed”, the number of trips predicted for the CAMPO region  
 120 varies from 141,971 with Seattle trip rates to 412,983 with San Diego trip rates. The average daily  
 121 person-trips per household vary between 4.7 and 13.6. Such large variations indicate that caution must  
 122 be applied when deciding which of the published trip rates are most appropriate to be transferred to a  
 123 study area. This may in part be due to the size of the geographic area from which the rates are  
 124 transferred, but also due to sampling errors within the surveys collected in each study area. For  
 125 instance, the Seattle rates from Appendix A of the NCHRP 365 (5) seem quite low, ranging from 3.86  
 126 to 5.60, despite the variations in household size and vehicles available. If local travel survey data on  
 127 average trip rate is not available, the volatility in the outputs from borrowed models justifies an effort  
 128 to collect local data.

129

130 Having assessed the sensitivity involved in choosing a model, the sensitivity of our selected  
 131 model to variations in input data will be focused on. In this case, our ‘original’ and ‘revised’  
 132 selections happen to be the same. This is due to the NHTS Transferability program’s use of local data  
 133 combined with census tracts of similar land use types and income levels (6). By quantifying how  
 134 sensitive the model output is to varied input data, a planner can better guide potential data collection.  
 135 To do this, it would be helpful to have statistical distributions for each cell in the household  
 136 ‘membership matrix’ (defined as how households are distributed by two stratifying variables). These  
 137 distributions could then quantify the sampling uncertainty or volatility of each cell.

138

139 To establish a distribution for household membership, the American Community Survey  
 140 (ACS) is recommended. The ACS provides ‘margin of error’ data which represents the sampling error  
 141 at the 90% confidence level based on the assumption that the data are normally distributed (7). With  
 142 this information, the standard deviation of each cell can be calculated (‘margin of error’/1.645) and  
 other confidence levels explored. As applied to CAMPO, the mean (based on local travel demand  
 surveys) and standard deviation for each household ‘membership’ cell can be seen in Table 3.

143 **TABLE 3 Cross-classification – Household ‘Membership’ Means and Standard Deviations**

Input	Mean	Standard Deviation
1-Person Household:		
No Vehicle Available	1,281	672
1 Vehicle Available	4,326	1,048
2 Vehicles Available	1,464	705
3 Vehicles Available	47	97
4+ Vehicles Available	52	58
2-Person Household:		
No Vehicle Available	295	453
1 Vehicle Available	2,058	1,077
2 Vehicles Available	6,871	1,220
3 Vehicles Available	1,274	552
4+ Vehicles Available	386	264
3-Person Household:		
No Vehicle Available	55	229
1 Vehicle Available	1,193	773
2 Vehicles Available	1,761	604
3 Vehicles Available	1,574	731
4+ Vehicles Available	418	371
4+-Person Household:		
No Vehicle Available	6	180
1 Vehicle Available	935	744
2 Vehicles Available	3,044	1,088
3 Vehicles Available	2,093	887
4+ Vehicles Available	1,248	519

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145 When the standard deviation is larger than the mean, a lower bound of zero should be used to avoid  
146 applying negative inputs. With a distribution for the household ‘membership matrix’, the planner can  
147 start exploring how total trip predictions vary with different inputs. For instance, if the lower and  
148 upper bounds of the 90% confidence interval are applied to the household ‘membership matrix’, how  
149 would the output change? With CAMPO data, the difference between the two bounds was found to  
150 range from 199,415 total trips to 410,482 total trips, as compared to the 300,954 total trip value found  
151 using our current data or mean (

152 TABLE 4).

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**TABLE 4 Cross-classification -- Range of Trips Predicted with Varied Inputs**

Input Variable	90% Lower Bound	Mean	90% Upper Bound	Range
Total:	199,415	300,964	410,482	211,067
No Vehicle Available	2,804	7,867	20,674	17,870
1 Vehicle Available	35,810	63,767	91,724	55,914
2 Vehicles Available	102,789	134,723	166,657	63,868
3 Vehicles Available	41,265	64,723	88,404	47,140
4+ Vehicles Available	16,747	29,885	43,023	26,276
1-Person Household:	22,571	32,174	42,001	19,430
No Vehicle Available	2,804	4,932	7,060	4,257
1 Vehicle Available	15,000	18,734	22,467	7,467
2 Vehicles Available	4,739	7,848	10,957	6,218
3 Vehicles Available	0	295	813	813
4+ Vehicles Available	28	365	703	675
2-Person Household:	64,819	87,641	111,045	46,226
No Vehicle Available	0	2,211	5,003	5,003
1 Vehicle Available	9,124	16,023	22,922	13,798
2 Vehicles Available	47,503	55,628	63,754	16,252
3 Vehicles Available	6,760	10,503	14,246	7,485
4+ Vehicles Available	1,431	3,275	5,119	3,688
3-Person Household:	34,054	58,628	85,825	51,771
No Vehicle Available	0	626	3,876	3,876
1 Vehicle Available	6,402	13,700	20,999	14,597
2 Vehicles Available	14,744	20,542	26,340	11,596
3 Vehicles Available	11,537	18,671	25,805	14,268
4+ Vehicles Available	1,371	5,088	8,805	7,434
4-Person Household:	77,971	122,521	171,611	93,640
No Vehicle Available	0	97	4,735	4,735
1 Vehicle Available	5,285	15,310	25,336	20,051
2 Vehicles Available	35,803	50,704	65,605	29,802
3 Vehicles Available	22,967	35,253	47,540	24,573
4+ Vehicles Available	13,916	21,156	28,396	14,479

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155 This wide range of outputs indicates the caution that must be taken when deciding on inputs.

156 To guide the data collection for these inputs, it is recommended to identify those cells that  
 157 exhibit the most volatility in terms of trip productions. For CAMPO data, the most volatile cell was  
 158 determined to be the 4+-person, 2-vehicle cell, which varied by nearly 30,000 trips, when applying the  
 159 lower and upper bounds of the 90% confidence interval. Therefore, data collection should be focused  
 160 on households with these characteristics.

## 161 2.2 Trip Generation by Regression

162 For those communities without sufficient data for cross-classification, regression equations are  
 163 commonly used. These equations are typically separated by trip purpose and by productions and  
 164 attractions. For this research, the home-based work (HBW), home-based other (HBO), and non-home-  
 165 based (NHB) trip productions and attractions will be evaluated for sensitivity.

166 To test sensitivity, the database of regression equations was first created. (4) Of these  
 167 regression models, all those whose input variables matched the socio-economic data available at the  
 168 traffic analysis zone level in the CAMPO study area were included in the sensitivity analysis. After  
 169 each regression equation was run through a travel demand model, the productions and attractions were  
 170 balanced. The results with the minimum, average, and maximum total trips, along with the 'original'  
 171 and 'revised selections' are displayed in TABLE 5 for productions and TABLE 6 for attractions.



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**TABLE 5 Regression -- Range of Trips Produced by Purpose**

Model	HBW	HBO	NHB
Minimum	31,170	73,825	42,985
Average	57,774	113,883	57,667
Original Selection	32,719	79,515	96,838
Revised Selection	37,205	159,914	96,838
Maximum	76,153	218,493	96,838
% Difference (Range/Maximum)	59%	66%	56%

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**TABLE 6 Regression -- Range of Trips Attracted by Purpose**

Model	HBW	HBO	NHB
Minimum	31,194	41,481	44,412
Average	58,882	73,227	51,507
Original Selection	56,790	79,515	96,838
Revised Selection	36,089	161,195	96,838
Maximum	82,493	161,195	121,504
% Difference (Range/Maximum)	62%	74%	68%

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The ‘original selection’ models are those from Madisonville, Kentucky as reported in NCHRP 167 (8). The characteristics of this city are believed to best match those of the CAMPO region. The ‘revised selection’ models were selected based on the trip rates calculated for each purpose from the NHTS Transferability program (6).

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Once each case was balanced, the range of total trips predicted for CAMPO was found to vary from 128,554 to 378,338; and the range of average daily person-trips per household was found to vary from 4.2 to 12.5. As with cross-classification, this range is indicative of the care that must be taken when borrowing trip generation models. It should also be noted that the ‘original selection’ predicted approximately 70,000 fewer trips than the ‘revised selection’. Therefore, borrowing a model based solely on the source may not lead to the most representative results.

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While the output is deemed sensitive to the regression parameters, we will now assess the sensitivity of the output to the input data. For this analysis, the ‘revised selection’ model will be studied. As with the cross-classification method, we can create a normal distribution for each input variable with the ‘margin of error’ values provided by the ACS. The mean (based on local survey data) and standard deviation, calculated from the ACS, can be seen in TABLE 7 for each input variable.

**TABLE 7 Regression -- Variable Input Means and Standard Deviations**

Input	Mean	Standard Deviation
Total Employment	44,814	2,099
Retail Employment	11,413	4,767
# of Vehicles	58,792	3,134
# of 0 Vehicle Households	1,736	836
# of 1 Vehicle Households	8,575	1,610
# of 2 Vehicle Households	12,989	1,447
# of 3+ Vehicle Households	7,081	1,771
# of Households	30,380	1,546
Median Household Income	\$47,371	\$6,042

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As before, it is possible analyze how the output changes by applying data at the lower and upper bounds of their respective 90% confidence intervals. In doing so, the total trips, in



197                    **TABLE 8**, were found to vary between 264,784 and 322,690 total trips as compared to the  
198                    293,733 value obtained using the current data.

199

**TABLE 8 Regression -- Range of Balanced Trips Predicted with Varied Inputs**

Model	HBW	HBO	NHB	Total	Average Daily Person Trip Rates per Household
90% Lower Bound	33,271	137,375	94,138	264,784	9.1
Mean	36,341	160,554	96,838	293,733	9.7
90% Upper Bound	39,412	183,733	99,546	322,690	10.2
Range	6,141	46,357	5,408	57,906	1.1
% Difference (Range/Lower Bound)	19%	34%	6%	22%	12%

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This range is more acceptable than that found during cross-classification, yet a narrower variation would be preferred.

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With more focused data collection, a planner can be even more confident in the number of total trips generated. To guide the collection, it is recommended to focus on the most volatile model in terms of the range of trips predicted between the two bounds. For CAMPO it can be determined that HBO is the most volatile model. This is due to the combination of HBO being the most common trip purpose and the use of retail employment as an input variable in the attraction model. Therefore, data collection should be focused on obtaining accurate retail employment values, particularly in those zones with the highest concentrations of retail.

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To compare the difference in outputs between cross-classification and regression, the total balanced trip results of the two approaches are shown in TABLE 9.

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**TABLE 9 Comparing Cross-Classification and Regression Techniques for Trip Generation**

Model	Cross-Classification		Regression	
	Total Trips	Average Daily Person Trips per Household	Total Trips	Average Daily Person Trips per Household
Minimum	141,971	4.7	128,554	4.2
Average	254,621	8.4	206,470	6.8
Original Selection	300,957	9.9	221,107	7.3
Revised Selection	300,957	9.9	293,733	9.7
Maximum	412,983	13.6	378,338	12.5
Range	271,012	8.9	249,784	8.2

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Both methods yield similar total trip results for the 'revised selection' case. The cross-classification method was found to be much more sensitive to input data variations and slightly more sensitive to parameter variations. With cross-classification, the sampling error involved with travel demand surveys was found to be more significant than the difference among the borrowed trip rates. For regression, the influence of the parameter values on the output was stronger than the inputs. To reduce the volatility of regression results, more data is needed to calibrate the models.

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Because regression is considered to be the more common trip generation method used by small- and medium-sized planning organizations, the regression results are carried forward in the remaining planning steps for this study.

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**224 3. TRIP DISTRIBUTION**

With the five cases from trip generation by regression, as well as the two input variations from the 'revised selection' case, trip distribution was then applied. To assess sensitivity, variations within the friction factor function were analyzed. In particular, the a, b, and c parameters in the Tanner form of this function, as seen in Equation 1, were varied. The impedance for this study is assumed to be the free-flow travel time between zones,  $t_{ij}$ .

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$$Friction\ Factor = a * t_{ij}^b * e^{(c * t_{ij})} \tag{1}$$

232 Note that the ‘a’ parameter has no effect when used in the gravity model and is only used to scale up  
 233 the friction factors, so they are more manageable to work with. Also, the more recognizable  
 234 exponential form of this function is obtained by setting ‘c’ to zero and ‘b’ to -2.

235 After compiling a database of published Tanner functions (4), each of the five cases was run  
 236 for every collected Tanner function. The average trip length results for each equation, trip type, and  
 237 case are shown in TABLE 10, with the highlighted values to be carried on to the trip assignment step.  
 238  
 239

**TABLE 10 Average Trip Lengths in Minutes by Impedance Function**

Equation	Minimum			Average			Original Selection		
	HBW	HBO	NHB	HBW	HBO	NHB	HBW	HBO	NHB
1	13.7	16.3	14.5	11.0	15.9	12.2	13.7	16.2	13.2
2	13.7	16.3	14.5	11.0	16.0	12.2	13.7	16.3	13.2
3	13.5	16.3	14.1	10.9	15.9	11.9	13.5	16.2	12.8
4	13.0	15.6	11.0	10.5	15.2	9.2	13.0	15.5	9.9
5	14.5	12.2	14.4	11.7	12.1	12.3	14.5	12.1	13.2
6	13.6	16.3		11.0	15.9		13.5	16.2	
7	13.2			10.6			13.2		
8	13.3			10.9			13.3		
9	13.0			10.6			13.0		
10	12.8			10.3			12.8		
Range	1.7	4.1	3.5	1.4	3.9	3.1	1.7	4.1	3.3

Equation	Revised Selection			Maximum		
	HBW	HBO	NHB	HBW	HBO	NHB
1	11.4	14.7	13.2	11.3	14.7	12.8
2	11.4	14.7	13.2	11.3	14.7	12.8
3	11.3	14.7	12.8	11.2	14.7	12.4
4	10.8	14.1	9.9	10.8	14.1	9.6
5	12.1	11.5	13.2	12.1	11.5	12.8
6	11.3	14.7		11.3	14.7	
7	11.0			10.9		
8	11.2			11.2		
9	10.9			10.9		
10	10.6			10.6		
Range	1.5	3.2	3.3	1.5	3.2	3.3

240 After applying the various Tanner functions to the CAMPO data, it can be seen that the HBW models  
 241 vary the least, being within 1.7 minutes of each other for every case. The most volatile collection of  
 242 Tanner functions is for the HBO trip purpose, which varies by up to 4.1 minutes for two of the cases;  
 243 however, the NHB trip purpose tanner functions were found to be the most volatile for the ‘revised  
 244 selection’ and ‘maximum’ cases. Therefore, if data is to be collected for this step, then trip length  
 245 information for HBO and NHB should be obtained so as to calibrate the Tanner function for this  
 246 purpose. By varying the ‘a’, ‘b’, and ‘c’ parameters, planners may be able to better represent the  
 247 locally collected travel times.  
 248

249 The ‘original selections’ for this step are the models taken from an FHWA study (9), in part  
 250 because it is based on experience gained from analyzing various MPO models across the country. The  
 251 ‘revised selections’ were chosen based on the average HBW trip length reported for the area by the

252 ACS, and the NCHRP 365 recommendation that the HBO and NHB trip lengths be approximately 75  
 253 and 85% of the HBW trip length (5). The total average trip lengths between the selections differ by  
 254 less than one minute.

255 Because free flow travel time is considered to be a reliable input, no distributions will be  
 256 applied in this step. Instead, we will track the effect on the average trip length caused by the two input  
 257 variations examined during trip generation by regression. By applying the results from the 90%  
 258 confidence bounds to the ‘revised’ Tanner function selection, it was found that the average trip length  
 259 for CAMPO varies by approximately 4 seconds for HBW and HBO and 3 seconds for NHB.  
 260 Therefore, it can be determined that the variation of trip generation inputs has a negligible effect on  
 261 average trip length.

262 The decision to spend resources at all on calibrating the Tanner function should be based on  
 263 the planner’s personal preference. If a planner is willing to accept an error of x minutes in average trip  
 264 length and the variation for each trip purpose is below this value, then no resources need be expended.  
 265 Average trip length is a value that is not readily available to many small MPOs. If the trip assignment  
 266 step results indicate a systematic overloading or under-loading of links, and trip generation is not the  
 267 reason, then the value of average trip length must be further researched.

268 **3. TRIP ASSIGNMENT**

269 Transit ridership is very low in CAMPO, so the mode choice step can be skipped. The user  
 270 equilibrium method will be applied for trip assignment. To assess sensitivity, the  $\alpha$  and  $\beta$  parameters  
 271 within the link performance function, shown in the standard form in Equation 2, are to be varied.

272 
$$t = t_0 \left( 1 + \alpha \left( \frac{v}{c} \right)^\beta \right) \tag{2}$$

273 where:  $t \equiv$  Congested travel time,  
 274  $t_0 \equiv$  Free-flow travel time, and  
 275  $v/c \equiv$  volume to capacity ratio

276 A database of link performance functions (LPFs) applying to all link types was first  
 277 accumulated (4).

278 With a collection of equations, each model can be applied to the trip distribution results for the  
 279 five cases and two carry-over input variations from trip generation by regression. The results of this  
 280 application in terms of total VMT during the peak hour can be seen in TABLE 11.

281  
 282 **TABLE 11 Total Peak-Hour VMT by Link Performance Function**

Equation	Minimum	Average	Original Selection	Revised Selection	Maximum
1	64,724	104,507	100,252	110,847	192,766
2	64,932	105,371	100,984	111,838	200,187
3	64,927	105,292	100,956	112,096	216,596
4	64,720	104,705	100,506	111,357	195,993
5	64,704	105,507	100,536	111,329	195,608
6	64,841	105,601	100,935	111,751	203,161
% Difference (Range/Minimum)	0.4	1.0	0.7	1.1	12.4

283 The results for total VMT vary from 64,704 to 216,596 between the cases. These values differ by  
 284 approximately a factor of four, showing the consequences from choosing different models.

285 As for the selected cases, the ‘original selection’ uses the standard FHWA parameter values of  
 286  $\alpha=0.15$  and  $\beta=4.0$ , and the ‘revised selection’ was made based on VMT data obtained from the NHTS  
 287 transferability program. (6) The results of these selections differ by 11,843 total peak-hour VMT,  
 288 which is a percent difference of 12%. This finding further highlights the consequences of making  
 289 model selections based solely on the parameter source.  
 290

291 With regards to the variation of the LPF within each case, there appears to be only a slight  
 292 effect on the total VMT. For every case except the maximum, the LPFs result in outputs that differ by  
 293 less than 1.1%. This suggests that collecting VMT data for the purpose of refining the LPF parameters  
 294 is not critical in most cases for CAMPO. To confirm this supposition, there is need to examine the  
 295 loadings at the link level. Before the standard calculation of deviation in terms of the percent root  
 296 mean squared error (PRMSE) between modeled and observed link volumes is done, a check for  
 297 unusually large link flow rates ought to be made.

298 The sensitivity of PRMSE to a variation in LPF parameters is studied in TABLE 12.  
 299  
 300

**TABLE 12 Peak Hour PRMSE by Link Performance Function**

Equation	Minimum	Average	Original Selection	Revised Selection	Maximum
1	33.55	52.28	75.01	46.31	20.79
2	68.51	26.36	35.18	27.46	12.58
3	32.60	13.46	16.33	12.37	6.73
4	19.52	30.86	47.33	40.28	15.07
5	10.04	32.31	40.75	41.34	12.78
6	24.33	27.77	33.71	28.50	13.06
Range	58.5	38.8	58.7	33.9	14.1

301 While transferring LPF parameters was found to have a negligible effect on peak hour VMT, the  
 302 variation of parameters significantly affects the model fit to collected traffic counts. PRMSE varies by  
 303 up to 60% across parameter combinations. The 'original' and 'revised' LPF selection differ by over  
 304 60%, again showing the caution planners must take when selecting model parameters. The model  
 305 with the best fit, according to the lowest PRMSE, is the 'maximum' case, however, the trips per  
 306 household for this model were considered to be unreasonable for the CAMPO area.  
 307

308 As with trip distribution, the inputs for trip assignment, such as capacity values, are deemed  
 309 reliable and therefore it would not be beneficial to apply statistical distributions. Instead, the  
 310 sensitivity of the output due to applying the two 90% input bounds from trip generation was examined.  
 311 In terms of total VMT, the two variations resulted in values of 101,121 and 123,278 as compared to  
 312 the 112,096 value obtained using the current data. Therefore, the trip generation inputs are significant  
 313 when it comes to total VMT resulting in a percent difference around 22%, almost exactly the same  
 314 value found for the percent difference of total trips generated for the two bounds. Congestion effects  
 315 on route choice are likely the reason the two values differ slightly. The difference, due to inputs,  
 316 provides further proof that data collection is indeed critical at the trip generation step.

#### 317 4. CONCLUSIONS AND RECOMMENDATIONS

318 From this study, three basic lessons are learned: (1) sensitivity analyses can guide data collection, (2)  
 319 it is possible to quantify output volatility by fitting distributions to input data, and (3) there can be  
 320 significant consequences from selecting different models. For the CAMPO region in particular, it was  
 321 learned that:

- 322 • Borrowing parameter data from communities with similar socio-economic and geographic  
 323 characteristics does not guarantee that the data are the most appropriate for the area being  
 324 studied;
- 325 • Cross-classification outputs are more sensitive to varied input data than regression outputs,  
 326 while only slightly more sensitive to varied parameters;
- 327 • To increase the confidence in trip generation outputs by regression, careful attention to the  
 328 accuracy of retail employment data should be given, particularly in the central business district  
 329 (CBD) or other employment centers;
- 330 • The variation of trip generation inputs have a negligible effect on average trip length;
- 331 • To increase confidence in trip distribution outputs, emphasis should be placed on the accuracy  
 332 of HBO and NHB trip lengths, so as to better calibrate the Tanner Function.
- 333 • The link performance function (LPF) parameters are not that critical to the total peak hour  
 334 VMT outputs, however they are extremely critical to the model fit, and therefore LPF  
 335 calibration data should be collected.

336 Such determinations allow for the more efficient use of resources. For this reason, among others,  
337 sensitivity analyses are strongly recommended (10).

338 With the input distributions and lessons learned in this research, future studies will focus on  
339 how to manage the risk of programming less critical capacity-building projects due to uncertain travel  
340 demand model inputs and parameters.

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